# Pattern Recognition using Modified Compression Algorithm with Mexican Hat (MCAMH) 

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#### Abstract

Making a machine understand and recognize a character is a challenge. This is also factored as many researchers have indulged in building worthy hardware and necessary software for character recognition. A well known tool to solve this problem is Artificial Neural Network (ANN). In this paper, Mexican Hat, a fixed-weight net, is used to improve the precision than the previous attempts which already have been introduced. Here $14 \times 14$ image matrices have been taken as input and then compressed into $7 \times 7$ matrices, reducing the elements which are of no or little significance. Mexican Hat is used to recognize the alphabet.


Keywords: ANN, MCAMH, Compression, Mexican Hat

## I. INTRODUCTION

Many proposals have been made on developing various Expert Systems using Artificial Neural Network (ANN) to recognize characters. During character recognition, we often encounter a situation in which we have more information about the possible correct response of the net than we are able to incorporate, specifically, when we apply a net which is trained to classify the input signal into one of the output categories. In these circumstances, a net based on competition is forced to make a decision as to which only one unit will respond. Thus, the accuracy of the output can certainly be increased [2].

Several attempts have already been made for recognizing the characters. Row-wise Segmentation Technique is an approach where the matrix is segmented row-wise and then the elements are presented to the net for recognition, [3]

In Perceptron learning method, common features among the characters are distinguished which is nothing but an ANN [1, 2, 4].

Here, a novel technique has been introduced using modified compressed algorithm and Mexican Hat to recognize characters.

The whole process comprises compression of the input matrix, linear array representation of the matrix, application of Mexican Hat algorithm and at last plotting the graph, based on that the character is recognized.

## I. METHODOLOGY

Here each character is enclosed in a box comprising 14 X 14 pixel in jpeg format. The matrix is a binary matrix notifying all the pixels as 0 s except the character. The character pattern is presented as sequence of 1 s . As it is a large matrix containing a large number of non significant elements which impart no information about the actual
pattern, the matrix is compressed into a matrix of size 7 X 7 . The matrix cannot be compressed any further as there is a risk of data loss. Mexican Hat is used to train the net. Now the trained net takes the test character as input. Based on the accuracy of the output, the efficiency is then determined.

## A. Compression of $14 \times 14$ matrix into $7 \times 7$ matrix

To reduce the unnecessary elements the matrix is hereby compressed into a lower dimension, but any further compression cannot be done. Matrix $M$ is taken as input and the output after compression is matrix M_c using the function $\Theta$. The function $\Theta$ contains a modified compression methodology which will be illustrated in the Algorithm.
The matrix M is split into $n$ uniform blocks. Each block: $\mathrm{M}_{-}$blck $_{\mathrm{i}}$ comprises $m \mathrm{x} m$ dimension ${ }^{[1]}$.

## - Algorithm of Compression

Step1: Input Matrix M.
Step2: Considering $\mathrm{M}_{1}$ blck $_{\mathrm{i}}$ as the $\mathrm{i}^{\text {th }}$ block of M which is split M into n uniform blocks.
Step3: Consider iteration ( $\mathrm{i}=1$ to n )

$$
\mathrm{M}_{-} \mathrm{c}_{\mathrm{i}}=\Theta\left(\mathrm{M}_{1} \mathrm{blck} \mathrm{k}_{\mathrm{i}}\right)
$$

End
$\left\{M_{-} c_{i}\right.$ is the $i^{\text {th }}$ element of the compressed matrix $M_{-} c$ and
$\Theta\left(\mathrm{M}_{-} \mathrm{blck}_{\mathrm{i}}\right)=1$, if the number of $1 \mathrm{~s}>=$ number of 0 s in $\mathrm{M}_{-} \mathrm{blck}_{\mathrm{i}}$
$\Theta\left(\mathrm{M}_{-}\right.$blck $\left._{\mathrm{i}}\right)=0$, if the number of $1 \mathrm{~s}<$ number of 0 s in $\mathrm{M}_{-}$blck $\left._{\mathrm{i}}\right\}$
Step4: Stop.
Example: Given matrix M of size $4 \times 4$

$$
\mathrm{M}=\begin{array}{llll} 
& 1 & 1 & 0 \\
1 \\
1 & 0 & 0 & 0 \\
0 & 1 & 0 & 0 \\
1 & 0 & 0 & 0
\end{array}
$$

Here M can be split into 4 uniform blocks comprising 2 X 2 dimensions each.
$\mathrm{M}_{-} \mathrm{blck}_{1}=\begin{array}{ll}1 & 1 \\ 1 & 0\end{array} \quad \mathrm{M}_{1} \mathrm{blck}_{2}=\begin{array}{ll}0 & 1 \\ 0 & 0\end{array} \quad \mathrm{M}_{-} \mathrm{blck}_{3}=\begin{array}{ll}0 & 1 \\ 1 & 0\end{array} \quad \mathrm{M}_{-}$blck $_{4}=\begin{array}{ll}0 & 0 \\ 0 & 0\end{array}$
Using function $\Theta$ :
$\begin{array}{lll} \\ M \_c & 1 & 0 \\ 1 & 0\end{array}$
In this procedure the $14 \times 14$ matrix is compressed into $7 \times 7$ matrix reducing non significant elements.

## B. Training by Mexican Hat

The 7 X 7 matrix is segmented column-wise comprising 7 columns. The matrix is converted into a linear-array (L) consisting 49 elements where the elements of the matrix is put into the array column-wise. Hence the $25^{\text {th }}$ element is considered as the middle element $\left(L_{i}\right)$. The elements on the either side of the $X_{i}$ are symmetric and the left hand-side elements are considered as $L_{i-1}, L_{i-2}, L_{i-3} \ldots . . L_{i-24}$ whereas the right hand-side elements are considered as $L_{i+1}, L_{i+2}, L_{i+3} \ldots . . L_{i+24}$.

Illustration of the segmentation:

$\mathrm{M}_{-} \mathrm{c}=$| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 |

Figure 1: 7X7 Matrix Showing the "I" Character after Compression
The linear array formed from the Matrix:
$\mathrm{L}=\{0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,1,1,1,1,1,1,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0\}$
Here the $L_{i}$ is the $25^{\text {th }}$ element of $L$. Therefore the Mexican Hat orientation is as follows:


Figure 2: Mexican Hat interconnections for $\mathrm{Li}^{[2]}$
Based on the linear-array $L$, we get three positive interconnections on the either-side of $\mathrm{L}_{\mathrm{i}}$. And the remaining are 0s.
Based on the external signal $L$, the activation function for the net is:

$$
f(m)=\left\{\begin{array}{lr}
0 & \text { if } m<0 \\
m & \text { if } 0 \leq m \leq 49 \\
49 & \text { if } m>49
\end{array}\right.
$$

## II. ALGORITHM MCAMH

Different parameters used in the Algorithm:
$\mathrm{Ra}_{1}=$ Radius of region with positive reinforcement
$\mathrm{Ra}_{2}=$ Radius of region of interconnection; $L_{i}$ is connected to units $L_{i+j}$ and $L_{i-j}$ for $j=1, \ldots, R_{2}$
$\mathrm{m}=$ vector of activations
$\mathrm{m}_{\mathrm{l}}$ old $=$ vector of activations at previous time step.
k_max $=$ number of iteration
$\mathrm{L}=$ external signal
$\mathrm{w}_{\mathrm{j}}=$ weight on inter connections between $\mathrm{L}_{\mathrm{i}}$ and units $\mathrm{L}_{\mathrm{i}+\mathrm{j}}$ and $\mathrm{L}_{\mathrm{i}-\mathrm{j}}$
$w_{j}$ is positive for $0<=j<=R_{1}$
$\mathrm{w}_{\mathrm{j}}$ is negative for $\mathrm{Ra}_{1}<\mathrm{j}<=\mathrm{Ra}_{2}$

As the algorithm corresponds to external signal being given only for first iteration (Step5.2) of the contrast enhancing iterations we have:

Step1: Take the matrix $M$ which is of dimension $\mathrm{m} \times \mathrm{m}$ as input.
Step2: Convert it into the compressed matrix M_c which is of dimension $n \times n(m>n)$
by applying Algorithm of Compression.
Step3: Convert the array from the matrix into linear vector.
Step4: Set the whole array as external signal ( $\mathrm{m}=\mathrm{L}$ ).
Step5: Apply the Mexican Hat algorithm ${ }^{[2]}$.
Step5.1: Initialize parameters $\mathrm{k} \_\max , \mathrm{Ra}_{1}$, Ra2, $w_{j}$
$\mathrm{k} \_$max $=3$ [setting the iteration as desired]
$R \mathrm{a}_{1}=3$
$\mathrm{Ra}_{2}=24$
$w_{j}=C a_{1}$ for $j=0, \ldots, \operatorname{Ra}_{1}\left(\mathrm{Ca}_{1}>0\right)$
$\mathrm{w}_{\mathrm{j}}=\mathrm{Ca}_{2}$ for $\mathrm{j}=\mathrm{Ra}_{1}+1, \ldots, \mathrm{Ra}_{2}\left(\mathrm{Ca}_{2}<0\right)$
Initialize m_old as 0 .
Step5.2: Taking the external signal $L$
$\mathrm{m}=\mathrm{L}$
Save the above in m_old (for $x=1, \ldots, 49$ )
$\mathrm{m}_{\text {_old }}=\mathrm{m}_{\mathrm{x}}$
Set the iteration counter $\mathrm{k}=1$

Step5.3: While k is less then k_max, repeat Steps 5.4-5.7.

Step5.4: Compute the net input
(i=1,2,...,49)

$$
m_{i}=C a_{1} \sum_{k=-R a_{1}}^{R a_{1}} m_{-o l d_{i+1}}+C a_{2} \sum_{k=-R a_{2}}^{-\mathrm{Ra}_{1}-1} m_{-o l d_{i+1}}+C a_{2} \sum_{k=R a_{1}+1}^{R a_{2}} m_{-o l d_{i+1}}
$$

Computation algorithm:
Step5.4.1: initialize $\mathrm{i}=1$ repeat
Step 5.4.2 to 5.4.12 until $\mathrm{i}<=49$
Initialize $a=0, b=0, c=0$
Step5.4.2: initialize $\mathrm{j}=-\mathrm{Ra}_{1}$ repeat step 5.4.3 and 5.4.4 until $\mathrm{j}<=\mathrm{Ra}_{1}$
Step5.4.3: if $((i+j)>=1$ and $(i+j)<=49)$ then set $a=a+C a_{1} * m_{-}$old $_{i+j}$
Step5.4.4: update $j=j+1$
Step5.4.5: set $\mathrm{j}=-\mathrm{Ra}_{2}$ repeat step 5.4.6 and 5.4.7 until $\mathrm{j}<=-\mathrm{Ra}_{1}-1$
Step5.4.6: if $((i+j)>=1)$ then set
$\mathrm{b}=\mathrm{b}+\mathrm{Ca}_{2}{ }^{*} \mathrm{~m}_{\text {_old }}^{\mathrm{i}+\mathrm{j}}$
Step5.4.7: update $j=j+1$
Step5.4.8: set $\mathrm{j}=\mathrm{Ra}_{1}+1$ repeat step 5.4.9
and 5.4.10 until $\mathrm{j}<=\mathrm{Ra}_{2}$
Step5.4.9: if $((\mathrm{i}+\mathrm{j})>=1$ and $(\mathrm{i}+\mathrm{j})<=49)$ then set $\mathrm{c}=\mathrm{c}+\mathrm{Ca}_{2} * \mathrm{~m}_{-}$old $_{\mathrm{i}+\mathrm{j}}$

Step5.4.10: update $\mathrm{j}=\mathrm{j}+1$
Step5.4.11: set $\mathrm{m}_{\mathrm{i}}=\mathrm{a}+\mathrm{b}+\mathrm{c}$
Step5.4.12: update $\mathrm{i}=\mathrm{i}+1$
Step5.5: Apply activation function:
$\mathrm{m}_{\mathrm{i}}=\min \left(\mathrm{m}_{-} \max , \max \left(0, \mathrm{~m}_{\mathrm{i}}\right)\right)(\mathrm{i}=$ $1,2, \ldots, 49$ )
Step5.6: Save $\mathrm{m}_{\mathrm{i}}$ to $\mathrm{m}_{-}$old $_{\mathrm{i}}$ :
$\mathrm{m}_{\text {_old }}=\mathrm{m}_{\mathrm{i}}(\mathrm{i}=1,2, \ldots . ., 49)$
Step5.7: Set $\mathrm{k}=\mathrm{k}+1$
Step5.8: If $\mathrm{k}>\mathrm{k} \_$max then Stop;
otherwise continue.
Step6: Put the output $\mathrm{m}_{\mathrm{i}}(\mathrm{i}=1,2, \ldots \ldots, 49)$ into graph for each iteration up to $\mathrm{k}<=\mathrm{k} \_$max
Step7: Stop.
Example: Considering the input Matrix as M, and the compressed Matrix as M_c (from fig 1.1) which represents the character " I ", the external signal is:
$\mathrm{L}=\{0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,1,1,1,1,1,1,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0\}$
Initializing
$\mathrm{k} \_$max $=3$
$\mathrm{Ra}_{1}=3$
$\mathrm{Ra}_{2}=24$
And determining $\mathrm{Ca}_{1}=0.6$ and $\mathrm{Ca}_{2}=-0.4$ from the activation function $\mathrm{f}(\mathrm{m})$ and $\mathrm{m}=\mathrm{L}$.
Inputting the values in algorithm MCAMH we get:
$\mathrm{m}_{1}=\{0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0.2,1.2,2.2,3.2,4.2,3.2,2.2,1.2,0.2,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0\}$
(for $\mathrm{k}=1$ )
$m_{2}=\{0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0, \quad 3.88, ~ 7.079999, ~ 9.279999,10.280001, ~ 9.279999, ~ 7.079999$, $3.88,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0\}$ (for $\mathrm{k}=2$ )
$m_{3}=\{0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0, \quad 10.216, \quad 19.496, \quad 26.57, \quad 30.45,26.57,19.496$, $10.216,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0\}($ for $k=3$ )

As $\mathrm{k}=\mathrm{k} \_$max we are stopping and putting the values in the graph. The graph is like as follows:


Figure 3: Result of the Mexican Hat
As the graph is forming Mexican Hat, the net has identified the character "I" completely.

## III. DISCUSSION

The result shows that the MCAMH net is very efficient. As there is a liberty to determine the number of iterations, the time and effort required for building the whole net is very little. Accuracy of identifying characters is also phenomenal. The compressed matrix is very helpful for the MCAMH net to get to the results very quickly with more precision. Although the method has been tested for one input, the process represents no flaw at all.

## IV. CONCLUSION

Based on the analysis it can be acclaimed with certainty that MCAMH is highly efficient in contrast to the previously made attempts. The compression algorithm has proven to be an absolute adherent to MCAMH net by eliminating all unwanted elements without losing data from the actual input and making the compressed input an accurate one.

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